



OUR VERTICAL SEWAGE PUMP

1. Maximum eff

PUMPSENSE
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POWER EVALUATION & LIFE CYCLE COST

SEA WATER LIFT PUMP FROM HS RANGE



A petroleum refinery has finalized the following specifications for eight cooling tower pumps (6 working & 2 stand-by)

$$Q = 3600 \text{ m}^3/\text{hr.}$$

$$H = 45 \text{ m}$$

$$N = 990 \text{ r.p.m}$$

$$NPSH_a = 13 \text{ m}$$

The company is considering a minimum acceptable efficiency for inclusion in the bid documents. We need to find the minimum acceptable efficiency from the data given to us.

Description

To establish achievable level of pump efficiency, the refinery can use the guidelines of **HIS (Hydraulic Institute Standard)**.

The process will be as follows:-

Calculate pump specific speed: We assume that a split-case pump will be selected at B.E.P (Design point) & this will correspond to the duty point specified.

$$\text{Specific Speed } (N_s) = \frac{N \times \sqrt{Q}}{H^{3/4}}$$

$$So, \left(\frac{990 \sqrt{3600}}{45^{3/4}} \right) = 3418 \text{ (Metric)}$$

$$\text{or } 2943 \text{ (US units)}$$



For 3600 m³/hr. (or 15,850 US gpm) & specific speed of 3418 metric units (or 2943 US units), **HIS** suggests : **Peak efficiency of 92% & variance of ± 2%.**

Accordingly, the refinery may decide to impose the following ceiling.

Minimum acceptable efficiency = 91-2 = 89%

Maximum efficiency for evaluation = 91+2 = 93% (No credit over 93%)

2. Power Loading & efficiency

Considering again the previous example, the refinery can arrive at the energy loading figure and thus the Life Cycle Cost on the following basis:

Assuming,	No. of hours of operation	- 20 hrs/day
	No. of days of operation	- 300 days/year
	Life of the project	- 30 years
	Cost of capital (interest rate)	- 9 %
	Cost of power	- US\$ 0.08/ Kw-hr.
	specific gravity of the pumped fluid	- 1.0

Pump duty = 3600 m³/hr @ 45 m head

$$\text{Base power} = \frac{Q \times H \times S.G.}{3.67 \times \eta} = \frac{3600 \times 45 \times 1.0}{89 \times 3.67} = 496 \text{ kW}$$

$$\text{Power with 90\% efficiency} = \frac{3600 \times 45 \times 1.0}{3.67 \times 90} = 490.5 \text{ kW}$$

Thus, power saving for 1 unit higher efficiency over the base = 5.5 kW

$$\begin{aligned} \text{Cost of power per kW} &= 1 \text{ kW} \times 20 \text{ hrs /day} \times 300 \text{ days /yr} \times 0.08 \text{ US\$ /KW - hr.} \\ &= \text{US\$ 480 per year} \end{aligned}$$

Present Worth Factor

We are interested in finding the cost of pump operation for the entire duration of 30 years. The present value of a series of identical annuities (x) for **n years** & at a **rate of interest i %** (cost of money) can be found from the following mathematical series:

$$\begin{aligned} \text{Net present value of annuities} \\ &= x + x/(1+i) + x/(1+i)^2 + \dots + x/(1+i)^n \\ &= (x/i) [1 - (1+i)^{-n}] \end{aligned}$$

Where $\left(\frac{1}{i}\right) [1 - (1+i)^{-n}]$ is called **Present Worth Factor (PWF)**

$$\text{Hence, } PWF = \left(\frac{1}{0.09}\right) \times [1 - (1 + 0.09)^{-30}] = 10.273$$

$$\begin{aligned} \text{Energy loading} &= \text{Cost of Energy per kW per year} \times PWF \\ &= \text{US\$ 480} \times 10.273 = \text{US\$ 4931, or approximately US\$ 5000 per kW} \end{aligned}$$

This means that a pump with efficiency of 90% will receive energy loading advantage of

$$= 5.5 \text{ kW} \times \text{US\$ 5000} = \text{US\$ 27,500}$$

The price of a circulating water pump of the above specification is likely to be around US\$ 30,000.

We can therefore conclude that the following statement is largely true:

Capitalized Cost of One Unit Difference in Efficiency is Equal to the Cost of the Pump

3. Life Cycle Cost (LCC) evaluation

- LCC is utilized as a powerful management tool that helps in maximizing efficiency, while minimizing wastage of Industrial Process Systems.
- LCC deals with the optimization of :-
 - Design
 - Operation
 - Maintenance
 - Energy
 - Fluid Dynamics
 - Driver System
 - Site Interface
 - Piping Accessories
 - Control Instrumentation
- LCC is total lifetime cost to purchase, install, operate, maintain, & dispose.

$$LCC = C_{IC} + C_{IN} + C_E + C_O + C_M + C_S + C_{ENV} + C_D$$

Where, C_{IC} = Initial Cost

C_m = Maintenance & Repair Cost

C_{IN} = Installation & Commissioning Cost

C_S = Downtime Cost

C_E = Energy Cost

C_{ENV} = Environmental Cost

C_O = Operating Cost

C_D = Disposal/Decommissioning Cost



Specific Issue

A pump user has received two offers from pump manufacturers for his requirement of centrifugal pump. Each Pump has a different quoted price of purchase and works at different efficiencies. The duty details of pumps offered are as follows:

Capacity	720 m ³ / hr.
Head	130 m
Speed	1480 rpm
Specific Gravity	1.0 (water)

Reminders:

Pump efficiency depends on pump size, type and on specific speed. Given the pump duty (**Q, H, N and pump type**) – optimum efficiency can be estimated from the efficiency chart provided in the Hydraulic Institute Standards. From chart:

Manufacturer A has **efficiency 75%**

Manufacturer B has **efficiency 80%**

Life of the project (years)	25
Hrs. of operation per day	20
No of days of operation/ year	300
Cost of power(US\$/kW-hr)	0.08
Interest rate (%)	9

Also, Manufacturer A has quoted a price of **\$10,000**.

& Manufacturer B has quoted a price of **\$13,000**.

Description: First, we calculate power consumption by each pump

$$\begin{aligned} \text{Power consumed by pump A (KW)} &= \frac{Q \left(\frac{m^3}{hr} \right) \times H (m) \times \text{specific gravity}}{3.67 \times \eta (\%)} \\ &= \frac{720 \times 130 \times 1.0}{3.67 \times 75} = 340.05 \text{ kW} \end{aligned}$$

$$\text{Similarly, Power consumed by pump B} = \frac{720 \times 130 \times 1.0}{3.67 \times 80} = 318.80 \text{ kW}$$

Therefore, additional power consumption by pump A is 21.25 kW.

$$\begin{aligned} \text{The additional annual power cost due to lower efficiency} \\ = \text{additional power} \times \text{cost of power} \times \text{No. of hours of operation/yr.} \end{aligned}$$

In this case, $21.25 \text{ kW} \times \text{US\$ } 0.08 \times (300 \times 20) = \text{US\$ } 10,200 \text{ per year.}$

PWF: Here, $i = 9\%$ & $n = 25$ years.

Hence, we get $PWF = (1/0.09) [1 - (1.09)^{-25}] = 9.822$

$$\begin{aligned} & \text{The present value of annual additional energy cost} \\ & = PWF \times \text{additional energy cost / yr.} \end{aligned}$$

Or, $9.822 \times \text{US\$ } 10,200 = \text{US\$ } 100,190.$

$$\begin{aligned} & \text{So, total saving using pump B} \\ & = \text{cost of energy saved} - \text{the difference in initial purchase price} \\ & = \text{US\$ } 100,190 - (13,000 - 10,000) \\ & = \text{US\$ } 97,190 \end{aligned}$$

Hence, the user should buy Pump B which has a lower Life Cycle Cost.

